

Ask-the-user meta-interpreter

% approve(G) is true if *G* is a logical consequence of the base-level KB and yes/no answers provided by the user.

approve(true).

approve((A & B)) \leftarrow *approve(A)* \wedge *approve(B)*.

approve(H) \leftarrow *askable(H)* \wedge *answered(H, yes)*.

approve(H) \leftarrow

askable(H) \wedge *unanswered(H)* \wedge *ask(H, Ans)* \wedge

record(answered(H, Ans)) \wedge *Ans = yes*.

approve(H) \leftarrow (*H* \Leftarrow *B*) \wedge *approve(B)*.

Meta-interpreter to collect rules for WHY

% *wprove*(*G*, *A*) is true if *G* follows from base-level KB, and *A* is a list of ancestor rules for *G*.

wprove(*true*, *Anc*).

wprove((*A* & *B*), *Anc*) ←

wprove(*A*, *Anc*) ∧

wprove(*B*, *Anc*).

wprove(*H*, *Anc*) ←

(*H* ← *B*) ∧

wprove(*B*, [(*H* ← *B*)|*Anc*]).

Some goals, rather than being proved, can be collected in a list.

- To delay subgoals with variables, in the hope that subsequent calls will ground the variables.
- To delay assumptions, so that you can collect assumptions that are needed to prove a goal.
- To create new rules that leave out intermediate steps.
- To reduce a set of goals to primitive predicates.

Delaying Meta-interpreter

% *dprove*(*G*, *D*₀, *D*₁) is true if *D*₀ is an ending of list of delayable atoms *D*₁ and $KB \wedge (D_1 - D_0) \models G$.

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dprove(true, D, D).
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dprove((A & B), D1, D3) ←
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    dprove(A, D1, D2) ∧ dprove(B, D2, D3).
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dprove(G, D, [G|D]) ← delay(G).
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dprove(H, D1, D2) ←
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    (H ← B) ∧ dprove(B, D1, D2).
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Example base-level KB

live(W) \Leftarrow

connected_to(W, W₁) &

live(W₁).

live(outside) \Leftarrow *true*.

connected_to(w₆, w₅) \Leftarrow *ok(cb₂)*.

connected_to(w₅, outside) \Leftarrow *ok(outside_connection)*.

delay(ok(X)).

?*dprove(live(w₆), [], D)*.

Meta-interpreter that builds a proof tree

% *hprove*(*G*, *T*) is true if *G* can be proved from the base-level KB, with proof tree *T*.

hprove(*true*, *true*).

hprove((*A* & *B*), (*L* & *R*)) ←

hprove(*A*, *L*) ∧

hprove(*B*, *R*).

hprove(*H*, *if*(*H*, *T*)) ←

(*H* ⇐ *B*) ∧

hprove(*B*, *T*).